

Spatial Capture-Recapture IV: Modifying the state-space



OUTLINE

- Discrete state-space
 - Wolverine example (not analyzed here)
 - Experiments with the Fort Drum data set
- Density covariates
- Likelihood estimation

PART IV: USING A DISCRETE STATE-SPACE

- Our previous models have used a continuous state-space and specified independent uniform priors for each coordinate of the activity center variable, $s[i]$
- Often we have state-space restrictions that are important. E.g., wolverine camera trapping study.
- Can't use the uniform prior for $s[i]$ in these cases
 - Certain polygon constraints can be solved analytically (e.g., triangular state-spaces, or maybe piecewise linear).
- In such cases, we can impose those constraints by using a discrete approximation to the state-space as a mesh of points.

Prior distribution for s

- With a discrete state space uniformity is expressed like this

$s.id[i] \sim \text{categorical}(\text{probs}[1:ngrid])$

$\text{probs}[g] = 1/ngrid$

- Instead of:

$s[i] \sim \text{Uniform}(S)$

FORT DRUM BLACK BEARS

- Let's reanalyze the Fort Drum data using a discrete states-space

REANALYSIS OF THE FORT DRUM DATA WITH A DISCRETE STATE- SPACE

- R work session

DENSITY COVARIATES

- So far we have assumed activity centers are distributed uniformly over the landscape.
- What if we have a covariate defined for every pixel of the landscape and we think individuals should favor choosing home range location based on that?

Prior distribution for s

- With a discrete state space uniformity is expressed like this

$s.id[i] \sim \text{categorical}(\text{probs}[1:ngrid])$

$\text{probs}[g] = 1/ngrid$

- **But there is no need to retain the uniformity assumption!**

- If you have a covariate then do this:

$\text{probs}[g] = \exp(\text{beta} * \text{Cov}[g]) / [\sum_g \exp(\text{beta} * \text{Cov}[g])]$

- If $\text{beta} = 0$ then reduces to uniform probabilities.

SUMMARY